Note Title 08-10-2018

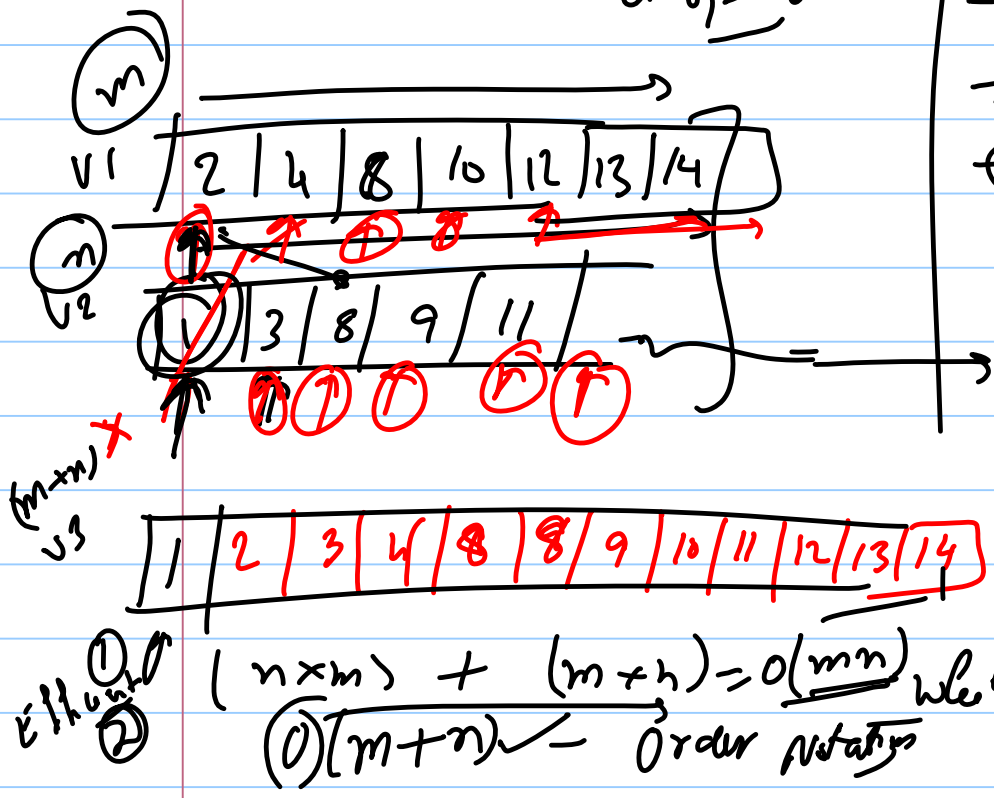
COL100

Oct 8, 2018

(Tentative) Plan for Rest

- → Complexity
- → Stacks / Queues / Maps
- → Recursion

Problem solving




```
int index1;
int index2;
int index3;
int size1 = v1.size();
int size2 = v2.size();
while(index1 < size1
  || index2 < size2
```

Efficiency ① $(n \times m) + (m+n) = O(mn)$

② $O(m+n)$ — Order Notation

an^2+bn+c $= O(n^2)$

```
for (int i=1; i<=n; i++) {
    for (j=1; j<=i; j++) {
        count << "Hello";
    }
}
```

$O(n^2)$

$$\sum_{i=1}^{n} i = \frac{(n)(n+1)}{2} \approx O(n^2)$$

```
for (int k=1; k<=n; k++) {
    cout << "Hello";
}
```

$O(n^2+n)$

$= O(n^2)$

big-O

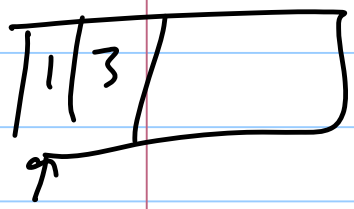
```
for(int x = N; x >= 0; x=x-1){
    v.addll(x);
}
Vector<int> v
for(int x = 1; x <= N; x = x+2){
    v.insert(0,x);
    cout << "hello";
}
```

N = 10

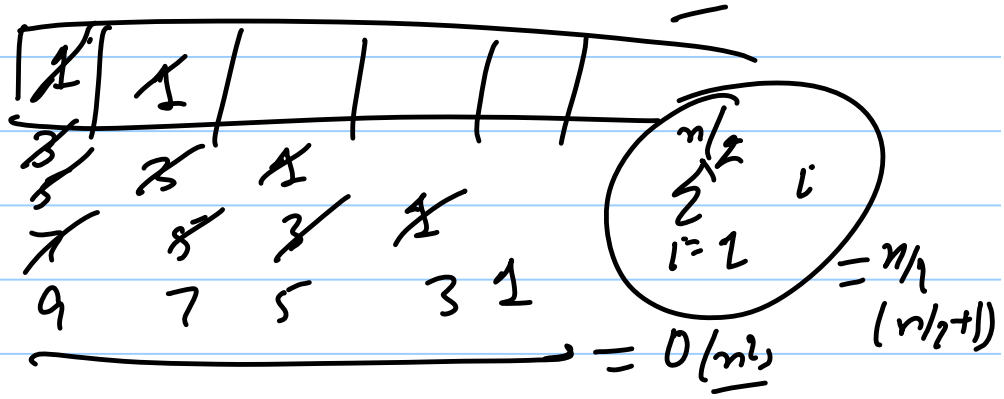
N/2

O(N)

3



O(N)



Input: N

$N! \geq (N/2)^{N/2}$

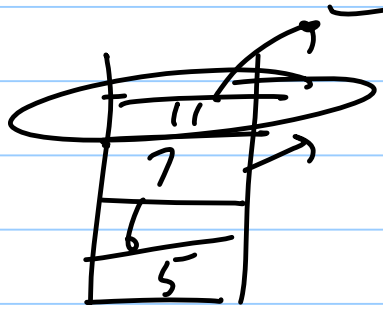
	Complexity		If you double N, Time $N \to 2N$
1.	Constant	$O(1)$	remain same
2.	Logarithmic	$O(\log_2 N)$	Add constant (1)
3.	Linear	$O(N)$	Doubles
4.	log x linear	$O(n \log n)$	slightly more than double time
5.	Quadratic	$O(n^2)$	four times
6.	log x quadratic	$O(n^2 \log n)$	slightly more than 4 times
7.	Cubic	$O(n^3)$	8 times the complexity
8.	Exponential	$O(2^n)$	grows extremely fast
9.	Factorial	$O(N!)$	grows extremely fast

Stacks / Queues: -

ADT Abstract Data Type

1) Vectors
2) Lists

3)



First in Last out

Queue